

DESPERATELY SEEKING THE STANDARD MODEL

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In the mid eighties string phenomenology started. Since then, its main objective, the search of the standard model, has not been accomplished yet. In this talk, on the occasion of the 2nd International Conference on String Phenomenology in 2003, I will review this crucial issue.

1 Introduction

Since this is the last talk of this meeting, and everybody is already exhausted, following the suggestion of the organizers I will try to give an ‘entertaining’ talk about string phenomenology. To tell you the truth, I do not know whether something concerning string phenomenology can be entertaining for an audience. In any case, please do not take too seriously all things that I am going to say. Some of them are jokes!, or perhaps exaggerations.

The outline of the talk is very simple. Basically, it is divided in two parts. The first one is very brief and I will give an optimistic view about string theory and phenomenology. Following Dyson’s analogy between the quantum field theory and the 19th-century chemistry—both explain *how* but not *why*—one could also establish an analogy between atomic physics and string theory. Atomic physics was needed to answer the question *why* in chemistry, string theory is supposed to answer the question *why* in the standard model of particle physics. I will review this attempt in the second part of this talk. In this sense, in that part I will give a more realistic view of string phenomenology. Perhaps, some of you in the audience will consider this view slightly pessimistic. Let us see!

2 Optimistic View

Dyson, in an article written in 1953¹, drew the following analogy between the quantum field theory and the 19th-century chemistry: ‘The latter described the properties of the chemical elements and their interactions. How the elements behave; it did not try to explain why a particular set of elements, each with its particular properties, exists. To answer the question *why*, completely new sciences were needed: atomic and nuclear physics. (...) The quantum

Table 1. Chart of the fundamental particles (1953) listed in the order of their mass.

photon
graviton
neutrino
electron
positron
positive mu meson
negative mu meson
neutral pi meson
positive pi meson
negative pi meson
zeta meson ?
neutral V-particle
tau meson
kappa meson
positive chi meson
negative chi meson
proton
neutron
neutral V-particle
positive V-particle ?

field theory treats elementary particles just as 19th-century chemists treated the elements. The theory is in its nature descriptive and not explanatory. It starts from the existence of a specified list of elementary particles, with specified masses, spins, charges and specified interactions with one another. All these data are put into the theory at the beginning. The purpose of the theory is simply to deduce from this information what will happen if particle A is fired at particle B with a given velocity. We are not yet sure whether the theory will be able to fulfill even this modest purpose completely. Many technical difficulties have still to be overcome. One of the difficulties is that we do not yet have the complete list of elementary particles (see Table 1). Nevertheless the successes of the theory in describing experimental results have been striking. It seems likely that the theory in something like its present form will describe accurately a very wide range of possible experiments. This is the most that we would wish to claim for it’.

Now, in 2003, as shown in Table 2, we do have the complete list of elementary particles (at least at energies below the electroweak scale, and given some uncertainties related to the Higgs sector)—the proton, pi meson, etc. which appeared in the chart of fundamental particles in Dyson’s presentation should be regarded as an amusing historical anecdote—and we do know that

Table 2. Chart of the fundamental particles in 2003 (modification of Table 1 taking into account the new experimental results since 1953).

photon
graviton
neutrino(s)
electron
positron
positive mu meson
negative mu meson
neutral pi meson (<i>non elementary</i>)
positive pi meson (<i>non elementary</i>)
negative pi meson (<i>non elementary</i>)
zeta meson ? (<i>non elementary</i>)
neutral V-particle (<i>non elementary</i>)
(positive and negative) tau meson
kappa meson (<i>non elementary</i>)
positive chi meson (<i>non elementary</i>)
negative chi meson (<i>non elementary</i>)
proton (<i>non elementary</i>)
neutron (<i>non elementary</i>)
neutral V-particle (<i>non elementary</i>)
positive V-particle ? (<i>non elementary</i>)
gluons
quarks + antiquarks
W^{\pm}, Z^0
Higgs ?

the theory fulfilling the modest purpose mentioned by Dyson is the *standard model*².

What the 19th-century chemistry did with the chemical elements, the 20th-century standard model does with the elementary particles. It describes how the elementary particles behave but does not try to explain why a particular set of elementary particles, each with its particular properties, exists. To answer the question *why* it seems that new sciences, as atomic and nuclear physics in the case of chemistry, are not needed, but just new theories. This is precisely one of the purposes of *string theory* (as a matter of fact, originally, the main purpose of the *modern* string theory was “simply” to unify all gauge interactions with gravity³ in a consistent way⁴).

As is well known, in string theory the elementary particles are not point-like objects but extended, string-like objects. It is still surprising that this apparently small change allows us to answer fundamental questions that in the context of the quantum field theory of point-like particles cannot even

Figure 1. The three great leaders trying to convince us that the weapons of mass destruction exist.

be posed. For example: Why is the standard model gauge group $SU(3) \times SU(2)_L \times U(1)_Y$? Why are there three families of particles? Why is the mass of the electron $m_e = 0.5 \text{ MeV}$? Why is the fine structure constant $\alpha = 1/137$?

In this sense one can have the temptation of thinking that the comment about chemists that Dyson wrote in his article –‘Looking backward, it is now clear that 19th-century chemists were right to concentrate on the *how* and to ignore the *why*. They did not have the tools to begin to discuss intelligently the reasons for the individualities of the *elements*. They had to spend a hundred years building up a good quantitative descriptive theory before they could go further. And the result of their labors, the classical *science of chemistry*, was not destroyed or superseded by the later insight that *atomic physics* gave.’– will be written similarly by somebody in the future about 20/21th-century physicists, substituting elements by *elementary particles*, science of chemistry by *standard model* and atomic physics by *string theory*.

Of course, let us hope that in this case the task will be accomplished before a hundred years since the standard model started to be built. Otherwise, many of the people following this talk (including the speaker) will be probably dead and buried!

3 Realistic (Pessimistic?) View

What is string phenomenology? A possible answer to this question is to say that string phenomenology is the search of the standard model in string theory. Of course, this is not the only task, but clearly to found the standard model is a necessary condition in string phenomenology. It would be a little bit annoying to explain the big bang singularity using strings but not to be able to obtain the standard model! In this sense, it is fair to say that almost 20 years have gone by since string phenomenology started, and the standard model has not been found yet.

Now, is this really a big problem? Perhaps, in order to answer this question, we should get some inspiration from the three great leaders shown in Fig. 1. They have not found the weapons of mass destruction yet, but they want us to believe that they will find them in a few months. In the same way, we have not found the standard model yet, but we want the people to believe that we will find it in a few years.

More seriously, let us briefly review the history of string phenomenology concerning the search of the standard model. May be, in this way, we will be able to have a more clear opinion about whether the (string) standard model can be found in the near future. In a sense, the compactification of the ten-dimensional heterotic string⁵ on six-dimensional spaces might be consider as the starting point for this race⁶. In particular, Calabi-Yau spaces⁶, orbifolds⁷ and fermionic constructions⁸ proved to be interesting methods to carry out the task. It was shown pretty soon that these compactifications of the $E_8 \times E_8$ heterotic string can give rise to four-dimensional standard-*like* models as well as GUT-*like* models^{9–11}. Clearly, these results were extremely interesting. Since then we know that (at least) something close to the real world can arise from strings.

For the sake of concreteness, let us review the case of orbifolds, without entering into many mathematical details or technicalities. It was first shown that the use of discrete Wilson lines^{7,12} on the torus defining a symmetric orbifold can give rise to four-dimensional supersymmetric models with gauge group^{13,14} $SU(3) \times SU(2) \times U(1)^5 \times G_{hidden}$. In addition, it was also shown that three generations of chiral particles (plus extra particles) appear in a natural way using just two Wilson lines. In fact this result was obtained in the case of the Z_3 orbifold. The latter is constructed by dividing R^6 by the $[SU(3)]^3$ root lattice modded by the point group (P) with generator θ , where the action of θ on the lattice basis is $\theta e_i = e_{i+1}$, $\theta e_{i+1} = -(e_i + e_{i+1})$, with $i = 1, 3, 5$. The two-dimensional sublattices associated to $[SU(3)]^3$ are shown in Fig. 2. In orbifold constructions, twisted strings appear attached to fixed points under the point group. In the case of the Z_3 orbifold there are 27 fixed points under P , and therefore there are 27 twisted sectors. We will denote the three fixed points of each two-dimensional sublattice as shown in Fig. 2. Thus the three generations arise because in addition to the overall factor of 3 coming from the right-moving part of the untwisted matter, the twisted matter come in 9 sets with 3 equivalent sectors on each one. Let us suppose that the two Wilson lines correspond to the first and second sublattices. The three generations correspond to move the third sublattice component ($x \cdot o$) of the fixed point keeping the other two fixed.

The next step was the calculation of the $U(1)$ charges and the study of the mechanism for anomaly cancellation in these models¹⁵, since an anomalous $U(1)$ is usually present after compactification¹⁶. This allowed the construction of combinations of the non-anomalous $U(1)$'s giving the physical hypercharge for the particles of the standard model, although it was also found that the hidden sector is, in general, mixed with the observable one through the

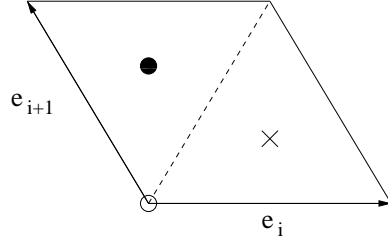


Figure 2. Two dimensional sublattices ($i = 1, 3, 5$) of the Z_3 orbifold. The fixed point components are also shown.

extra $U(1)$ charges. Fortunately, it was also noted that the Fayet–Iliopoulos D-term¹⁶, which appears because of the presence of the anomalous $U(1)$, can give rise to the breaking of the extra $U(1)$'s and, as a consequence, to the hiding of the previously mixed hidden sector^{15,10}. This is because, in order to preserve supersymmetry at high energies, some scalars with $U(1)$'s quantum numbers acquire large vacuum expectation values (VEVs). In this way it was possible to construct supersymmetric models¹⁰ (or, more precisely, vacuum states) where the original $SU(3) \times SU(2) \times U(1)^5 \times SO(10) \times U(1)^3$ gauge group¹³ was broken to $SU(3) \times SU(2) \times U(1)_Y \times SO(10)_{hidden}$. In addition, the extra particles are highly reduced since many of them get a high mass ($\approx 10^{16-17}$ GeV) through the Fayet–Iliopoulos mechanism, thus disappearing from the low-energy theory.

But...is a model with the gauge group of the standard model and three families of quark and leptons, the sought-after standard model? By no means! For this the right model must reproduce also the correct mass hierarchy for quarks and leptons. For example, to obtain

$$\frac{m_t}{m_u} \sim 10^5, \quad \frac{m_\tau}{m_e} \sim 10^3, \quad (1)$$

is not a trivial task, although it is true that one can find interesting results in the literature concerning this point. In particular, orbifold spaces have a beautiful mechanism to generate a mass hierarchy at the renormalizable level. Namely, Yukawa couplings between twisted matter can be explicitly computed and they get suppression factors, which depend on the distance between the fixed points to which the relevant fields are attached^{17–20}. The couplings can be schematically written as

$$\lambda \sim e^{-\sum_i c_\lambda^i T_i}, \quad \text{Re } T_i \sim R_i^2, \quad (2)$$

where the T_i are the moduli fields associated to the size and shape of the orbifold. The distances can be varied by giving different VEVs to these moduli, implying that one can span in principle five orders of magnitude the Yukawa couplings^{19,20}.

Unfortunately, this is not the end of the story. As if to obtain this hierarchy were not difficult enough, Nature is even more cruel with string phenomenologists. It tells us that a weak coupling matrix exists²¹ with weird magnitudes for the entries²²

$$V_{CKM} = \begin{pmatrix} 0.9741 \text{ to } 0.9756 & 0.219 \text{ to } 0.226 & 0.0025 \text{ to } 0.0048 \\ 0.219 \text{ to } 0.226 & 0.9732 \text{ to } 0.9748 & 0.038 \text{ to } 0.044 \\ 0.004 \text{ to } 0.014 & 0.037 \text{ to } 0.044 & 0.9990 \text{ to } 0.9993 \end{pmatrix}, \quad (3)$$

and that therefore we must arrange our up-and down-quark Yukawa couplings in order to have specific off diagonal elements,

$$H_2^0 \bar{u}_{L\alpha} \lambda_u^{\beta\gamma} u_{R\gamma} + H_1^0 \bar{d}_{L\alpha} \lambda_d^{\beta\gamma} d_{R\gamma}. \quad (4)$$

In principle this property arises naturally in orbifolds^{18–20,23}. For example, in the Z_3 orbifold with two Wilson lines, if the $SU(2)$ doublet H_2 corresponds to $(o \ o \ o)$, the three generations of $(3,2)$ quarks to $(o \ o \ (o, x, \cdot))$ and the three generations of $(\bar{3}, 1)$ up-quarks to $(o \ o \ (o, x, \cdot))$, then there are three couplings allowed from the space group selection rule (the components of the three fixed points in each sublattice must be either equal or different): $\lambda_{tt} H_2^0 \bar{t}_L t_R$ associated to $(o \ o \ o)(o \ o \ o)(o \ o \ o)$ with $\lambda_{tt} \sim 1$, $\lambda_{cu} H_2^0 \bar{c}_L u_R$ associated to $(o \ o \ o)(o \ o \ x)(o \ o \ \cdot)$ with $\lambda_{cu} \sim e^{-T_5}$, and $\lambda_{uc} H_2^0 \bar{u}_L c_R$ associated to $(o \ o \ o)(o \ o \ \cdot)(o \ o \ x)$ with $\lambda_{uc} \sim e^{-T_5}$. In this simple example one gets one diagonal Yukawa coupling without suppression factor and two off diagonal degenerate ones $\sim e^{-T_5}$, but other more realistic examples producing the observed structure of quark and lepton masses and mixing angles can be obtained using three generations of Higgses²⁰ or three Wilson lines¹⁹.

Unfortunately, although the mechanisms discussed above are attractive, it is extremely difficult to implement them in a particular model. Given a model, everything is essentially fixed, and it is not possible to play around. For example, one can have a model with the coupling for the bottom allowed but not for the top, or with both forbidden, or with no element 13 in the CKM matrix (3), or... The truth is that *no model* has been found with all the necessary Yukawa couplings. As a matter of fact, not even a model close to obtain them. And this sentence can also be applied to any of the interesting models constructed in more recent years^{24,25}.

In this sense, in my opinion the main difficulty in string model building resides in how to obtain the weird structure of fermion masses and mixing

angles. My good friend and old collaborator Alberto Casas always says, ‘I wouldn’t mind to die once I knew the mechanism generating the CKM matrix’. Thus, please, do not find it too soon, we want him to stay alive, at least for a while.

Needless to say, the recent experimental confirmation of neutrino masses makes this task even more involved. Now, in addition to hierarchies such as those shown in eq. (1), we have to explain others such as

$$\frac{m_e}{m_\nu} \gtrsim 10^6 , \quad (5)$$

and in addition to the matrix (3), we have to explain the weak coupling matrix²⁶ with the charged leptons²⁷

$$V_{MNS} = \begin{pmatrix} 0.73 \text{ to } 0.89 & 0.45 \text{ to } 0.66 & < 0.24 \\ 0.23 \text{ to } 0.66 & 0.24 \text{ to } 0.75 & 0.52 \text{ to } 0.87 \\ 0.06 \text{ to } 0.57 & 0.40 \text{ to } 0.82 & 0.48 \text{ to } 0.85 \end{pmatrix} . \quad (6)$$

Again, as usual in string theory, one can find interesting mechanisms to try to explain these experimental results. For example, if the Yukawa coupling for the neutrino is of order m_e and the see saw scale is 1 TeV, then the expected neutrino mass is

$$\frac{m_e^2}{1 \text{ TeV}} = 0.25 \text{ eV} , \quad (7)$$

which is within an order of magnitude of the experimental values. This suggests that a natural situation is one in which a see-saw mass of order a few TeV is generated by the electroweak symmetry breaking. The first guess for the neutrino see-saw superpotential is then²⁰

$$W_\nu \sim \lambda_\nu H_2^0 L_L \nu_R + \lambda_N N \nu_R \nu_R , \quad (8)$$

where N is the same singlet that dynamically generates the μ term through the coupling^a $N H_2^0 H_1^0$. Therefore N is expected to get a VEV of order 1 TeV, and the coupling λ_ν is expected to be sufficiently small as to reproduce the neutrino mass. Since small couplings can be naturally obtained in orbifolds as discussed in eq. (2), this mechanism is in principle interesting. But recall: to implement any mechanism in a particular model is highly non-trivial.

However, since we are optimistic people, we can argue that if the standard model arises from strings (something that we believe firmly!) there must exist one model where the above mechanism can be implemented, producing the

^aNote in this context that the Giudice–Masiero mechanism to generate a μ term through the Kähler potential is not available for prime orbifolds such as the Z_3 orbifold.

Figure 3. Two transparencies summarizing the situation concerning the search of the standard model in string phenomenology in 1990 (still can be used in 2003!).

correct structure for Yukawas. This means a model with: 1) the necessary Yukawas couplings, $H_2^0 \bar{u}_L \lambda_{uu} u_R + H_2^0 \bar{u}_L \lambda_{uc} c_R + H_1^0 \bar{d}_L \lambda_{db} b_R + \dots$, 2) the correct values, i.e. at least one is able to put by hand the values of T_i such that $\lambda_t(T_i) \sim 1$, $\lambda_u(T_i) \sim 10^{-5}$, etc. If, at the end of the day, such a model exists this would be a great success. But, in order to be sure that this is really the superstring standard model one should be able to compute explicitly the values of the Yukawas, and for this we need to know the VEVs of the T_i -moduli. Unfortunately, these are related to the breaking of supersymmetry, and this is one of the biggest problems in string theory^b. It is true that there are candidates for this task, such as gaugino condensation in a hidden sector with a non-perturbative superpotential $W(S, T_i)$, and that we have hidden gauge groups that could condensate. However, again, implementing this mechanism in a particular model is not easy.

The above discussion could be summarized with the two transparencies shown in Fig. 3. What is annoying for me is that I prepared these two transparencies for a meeting in Trieste²⁸ in 1990, and still I can use them in this meeting 13 years later! In a sense the problem of string theory is that it is too ambitious: the correct model must reproduce not only the gauge group and families of the standard model, but also the correct values of the gauge couplings, the correct masses of quark and leptons, a realistic CKM matrix, etc., i.e. the more than 20 parameters fixed by the experiment in the standard model.

In addition, there are thousands of models (vacua) that can be built. Some of them have the gauge group of the standard model or GUT groups, three families of particles, and other interesting properties, but many others have a number of families different from three, no appropriate gauge groups, no appropriate matter, etc. A perfect way of solving this problem would be to use a dynamical mechanism to select the correct model (vacuum). Such a mechanism should be able to determine a point in the parameter space of the heterotic string determining the correct compactification with $SU(3) \times SU(2)_L \times U(1)_Y$, three families of particles, and such that the mechanism

^bAs a matter of fact we should also be able to compute the values of the gauge couplings g_3, g_2, g_1 , determined by the VEV of the dilaton field S . Let us recall that this field arises from the gravitational sector of the theory, and that in string theory there are no free parameters, all coupling constants are in fact no constants but fields.

of supersymmetry breaking (whatever it is) produces $\langle S, T_i \rangle$ generating the correct values for

$$g_3, g_2, g_1, \lambda_u, \lambda_d, \lambda_c, \lambda_s, \lambda_t, \lambda_b, \lambda_e, \lambda_\mu, \lambda_\tau, \lambda_{\nu_e}, \lambda_{\nu_\mu}, \lambda_{\nu_\tau}, \delta, \theta_c, \dots \quad (9)$$

In a sense, it is hard to believe that there exists a (top-bottom) mechanism with such a precision determining everything. But here we apply again our optimism, arguing that the standard model must arise from strings, and that therefore such a marvellous mechanism must exist. The only problem is that...it has not been discovered yet.

So, for the moment, the best we can do is...keep trying!, i.e. to use the experimental results available (such as $SU(3) \times SU(2)_L \times U(1)_Y$, three families, fermion masses, mixing angles, etc.), to discard models. Although the model space is in principle huge, a detailed analysis can reduce this to a reasonable size. For example, within the Z_3 orbifold with two Wilson lines, one can construct in principle a number of order 50000 of three-generation models with the $SU(3) \times SU(2) \times U(1)^5$ gauge group associated to the first E_8 of the heterotic string. However, a study implied that most of them are equivalent²⁹, and in fact, at the end of the day, only 192 different models were found^{30,29}. This reduction is remarkable, but we should keep in mind that the analysis of each one of these models is painful.

In summary, to obtain a connection between (string) theory and present (standard model) experiments is possible in principle but difficult in practice. But, what about future experiments (such as LHC)? Well, if Nature is supersymmetric at the weak scale, as many particle physicists believe (ironically string phenomenologists, at least some of them, who were originally supersymmetry phenomenologists, are not so enthusiastic nowadays with supersymmetry as in the past because of the recent developments), eventually the spectrum of supersymmetric particles will be measured providing us with a possible connection with the high-energy world of superstrings. Let us recall that in superstring constructions there is a natural hidden sector built in, the singlet fields S and T_i mentioned above, and that the Kähler potential $K(S, S^*, T_i, T_i^*)$ and the gauge kinetic function $f(S, T_i)$ of the four-dimensional supergravity Lagrangian are known. As a consequence, the soft supersymmetry-breaking terms, scalar masses m_α , gaugino masses M_a , etc., can be computed in principle and compared with the experimentally observed supersymmetric spectrum³¹, i.e. we will be able to do what one could call³² “Soft Phenomenology”.

Although this approach will not probably be sufficient to select the superstring standard model, at least it will allow us to discard many constructions not producing the correct values for the soft terms. In addition, if experimen-

Figure 4. Curious scientist opening the Pandora's box of D-brane constructions. Multitude of 'plagues' for hapless string phenomenologists escape.

talists find some extra particles which arise naturally in a particular string framework ³³, this might be helpful.

In any case we should not forget that the cosmological constant contributes to the value of the soft terms, introducing in principle another problem in our discussion. First of all, we have a new free parameter in the computation, e.g. $m_\alpha^2 \sim m_{3/2}^2 + V_0/M_P^2$. Second, as is well known, in any theory including gravity the natural value of the cosmological constant is huge (in our case $V_0 \sim m_{3/2}^2 M_P^2$ once supersymmetry is broken), and this is one of the biggest problems in particle physics. If we use a specific mechanism for the breaking of supersymmetry, all this may be specially disturbing, e.g. in gaugino condensation V_0 turns out to be negative and including this contribution one might obtain $m_\alpha^2 < 0$.

Until recently, the $E_8 \times E_8$ heterotic superstring framework discussed above was thought as the only way in order to construct realistic string models. However, in the late nineties it has been discovered that D-brane configurations from string vacua or heterotic M-theory can also give rise to explicit models, with interesting phenomenological properties ^{34,35} (although with unrealistic Yukawas for the moment, as in the case of the perturbative heterotic models). Of course, this means that we have more work to do since we have more models to analyze, but also... that the Pandora's box opened. As you know, Jupiter had crammed into a box all the diseases, sorrows, vices that afflict poor humanity. Pandora, the first woman, who did not know this, was seized with an eager curiosity to know what the box contained. One day she slipped off the cover and...forthwith there escaped all plagues for hapless man In our case, as shown in Fig. 4, when D-branes are included in the game, many possibilities completely forbidden in the context of the heterotic string are now allowed: Non-supersymmetric models can be constructed ³⁶, the string scale M_{string} may be anywhere between the weak scale M_W and the Planck scale M_{Planck} ³⁷, large extra dimensions are possible ³⁸, etc. Exaggerating, now the question is not the old one: What is possible to predict in string theory?, but, What *is not* possible to predict?

Let me point out, however, that some of these possibilities imply a hierarchy problem. For example, embedding the standard model inside D3-branes,

Table 3. Statistics of the meeting String Phenomenology 2003, concerning the subjects of the talks.

Subjects	Number of talks
Branes	17
Heterotic string	8
M-theory	7
Supersymmetry	7
Cosmology	5
D=5 constructions	3
Accelerators	2
Quantum gravity	1
AdS	1
Non-commutative	1
Electroweak	1
Neutrinos	1
...	...

one has

$$\frac{M_{string}^4}{M_c^3} = \frac{\alpha M_{Planck}}{\sqrt{2}} = 3.5 \times 10^{17} \text{ GeV} , \quad (10)$$

where α is the gauge coupling and M_c is the compactification scale in the case of an overall modulus T . Thus one gets $M_{string} \approx 10^{11}$ GeV much smaller than the Planck scale with $M_c \approx 10^9$ GeV, i.e. an apparently modest input hierarchy. However, in fact those values would imply

$$S = \frac{1}{\alpha} \simeq 24 , \quad T = \frac{1}{\alpha} \left(\frac{M_{string}}{M_c} \right)^4 \simeq 10^9 . \quad (11)$$

Thus one has a hierarchy problem but with the VEVs of the fields that one has to determine dynamically. Of course, if we want to lower M_{string} further the hierarchy problem is worse. E.g. using eq. (10) for the case of two different compact dimensions $M_1 \sim 10^{-13}$ GeV (i.e. 1 millimeter) and $M_2 = M_3 \sim 10^4$ GeV, one obtains $M_{string} = (M_1 M_2^2 \times 3.5 \times 10^{17} \text{ GeV})^{1/4} \sim 1$ TeV. But then,

$$S = \frac{1}{\alpha} \simeq 24 , \quad T_2 = \frac{1}{\alpha} \left(\frac{M_{string}^4}{M_1^2 M_3^2} \right) \simeq 10^{31} , \quad T_1 = \frac{1}{\alpha} \left(\frac{M_{string}^4}{M_2^2 M_3^2} \right) \simeq 10^{-3} \quad (12)$$

In any case, it is clear that nowadays these constructions are the new super-stars, and that supersymmetry, Planck scale physics, small extra dimensions, or anything not involving D-branes is...out of fashion! Please, do not feel attack if you still work in these out-of-fashion issues... Of course I am

Figure 5. Evolution: from the monkey to the string phenomenologist.

Figure 6. A string phenomenologist searching the standard model in 1985.

Figure 7. The huge number of possibilities in the model space that a string phenomenologist found in the analysis in 1985.

joking and exaggerating, and in fact after following the talks of this meeting my impression is that (although clearly the winners are the Branes) the ‘old’ constructions, such as the perturbative heterotic string, are having a revival. See Table 3 for more details.

Finally, given the previous discussion, let me summarize the evolution of string phenomenology using a few figures. First of all, the evolution from the monkey to the string phenomenologist is shown in Fig. 5. As is well known, the string phenomenologist is a fellow who spends most of the time using her/his computer compulsively: Sending revised versions to hep-ph (and even to hep-th), complaining about references, preparing talks... Fortunately, from time to time she/he has a small hole in her/his tight schedule and spend some time thinking about string phenomenology. This is precisely the moment shown in Fig. 6. Clearly, the poor guy sit down at the front of the room is a string phenomenologist. In 1985 he really believed that the standard model was somewhere around him and that he would be able to find it. The problem, as you can see, is that the search of the standard model in strings is like to look a needle in a haystack. What about the guy at the back of the office? Well, he is clearly a string theoretician. As you can see he seems quite confident having a look to his very nice classification of string theories, $E_8 \times E_8$ heterotic, type I, type IIA, ..., and with all the machinery to work with them in the shelves. But what for this theoretician is a nice classification, for the phenomenologist is a horrible nightmare. He has a incredible mess, a jungle, in his hands. As shown in Fig. 7, because of the huge number of models, each one with its own characteristics, the situation was, in a sense, depressing.

Now, we can see the evolution in the search of the standard model comparing Figs. 6 and 8. In the latter we see the same string phenomenologist but in 2003. Do you see any difference? Clearly, the mess is exactly the same:

Figure 8. Evolution of string phenomenology: The same string phenomenologist searching the standard model as in Fig. 6, *but in 2003*. Do you see any evolution?

Figure 9. Because of the recent developments, the number of possibilities in 2003 is now bigger than in 1985 (see Fig 7): the nightmare is even worse!

terrible^c. Wait a moment, this is not true, as shown in Fig. 9 the mess is even worse! Because of the recent developments, the number of possible models is now bigger, and therefore the number of different results increases.

Anyway, the meeting is finishing, you are going back home, and I do not want you to leave Durham crying and depressed. So, let me tell you something very optimistic about string phenomenology. Not only the topic: from another viewpoint this situation is good because this means that still there is a lot work to do for newcomers. I am in the position of telling you something much stronger. Usually people says that the problem of strings is that they do not have a clear prediction that can be tested. On the contrary, I can tell you very proudly that predictions can be done. Indeed, I did an important prediction using strings two years ago. This prediction has been finally fulfilled. The British experimentalists have tested it very recently. Please, have a look to Fig. 10, where the abstract and date of the article containing the prediction is shown. Thank you very much for your attention.

Acknowledgments

I thank the organizers of this wonderful conference in Durham during July 29-August 4, 2003, for suggesting me the idea of giving an ‘entertaining’ talk about string phenomenology. At least I tried.

The photograph shown in Figs. 6 and 8 is a work of art made by Jeff Wall in 1994, with the title “Untangling”. Although several colleagues thought that I was the author, I only deserve the reputation of the modifications shown in Figs. 7 and 9. When I first saw this photograph in October 1999, in an exhibition of the Pamela and Richard Kramlich collection of media art at San Francisco Museum of Modern Art, I immediately thought ‘This is the best

^cAn optimistic view of this situation was pointed out to me by the experimentalist H.U. Martyn. In his opinion, working in string phenomenology is healthy because 18 years have gone by between the two photographs and the guy does not look old at all!

A kind of prediction from superstring model building

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Abstract

Assuming that the standard model of particle physics arises from type IIB compactified on an orientifold with D5-branes intersecting at angles on T^4 , we predict that David Beckham will play in Real Madrid in 2003. As a by-product our analysis implies that David and Victoria Beckham live at the intersections.

Figure 10. First page of an article containing a clear prediction from strings, that has been fulfilled.

possible summary of the state-of-the-art in string phenomenology’.

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